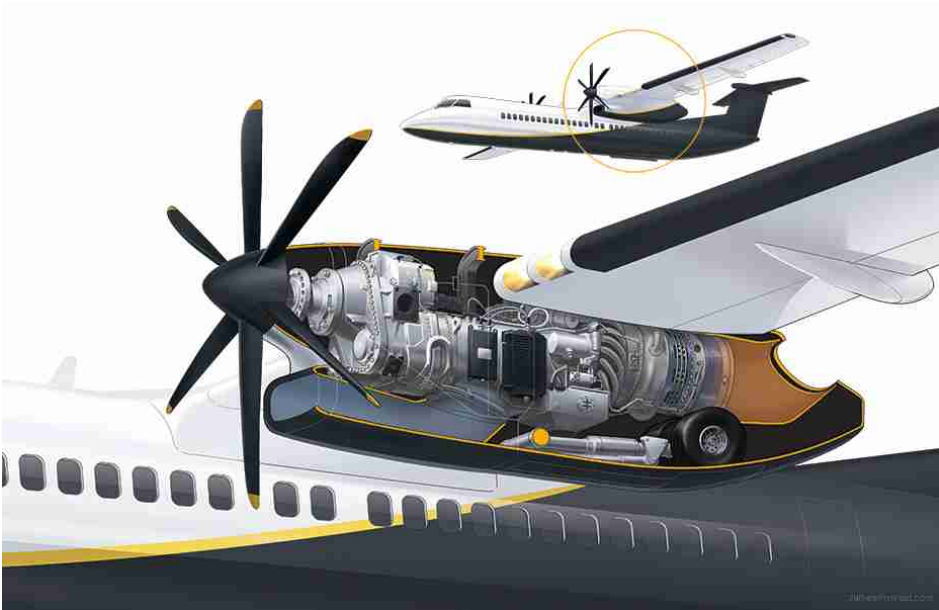


# Introduction to airbreathing propulsion systems

*APRI0004:*

*Integrated project aerospace design*



**Koen Hillewaert**

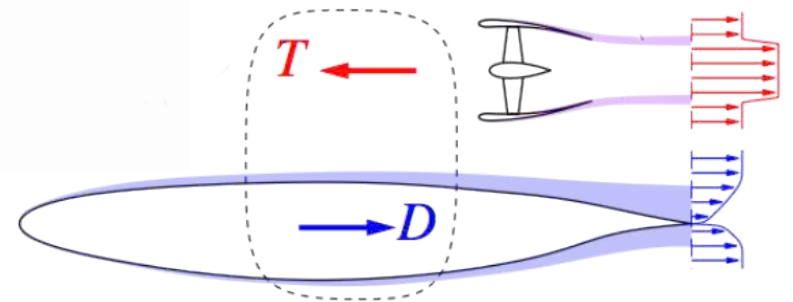
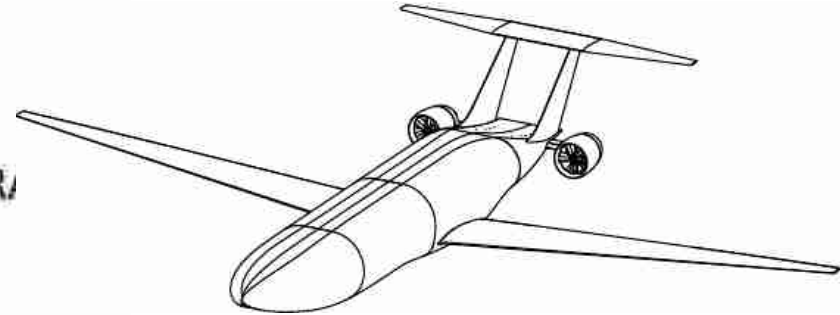
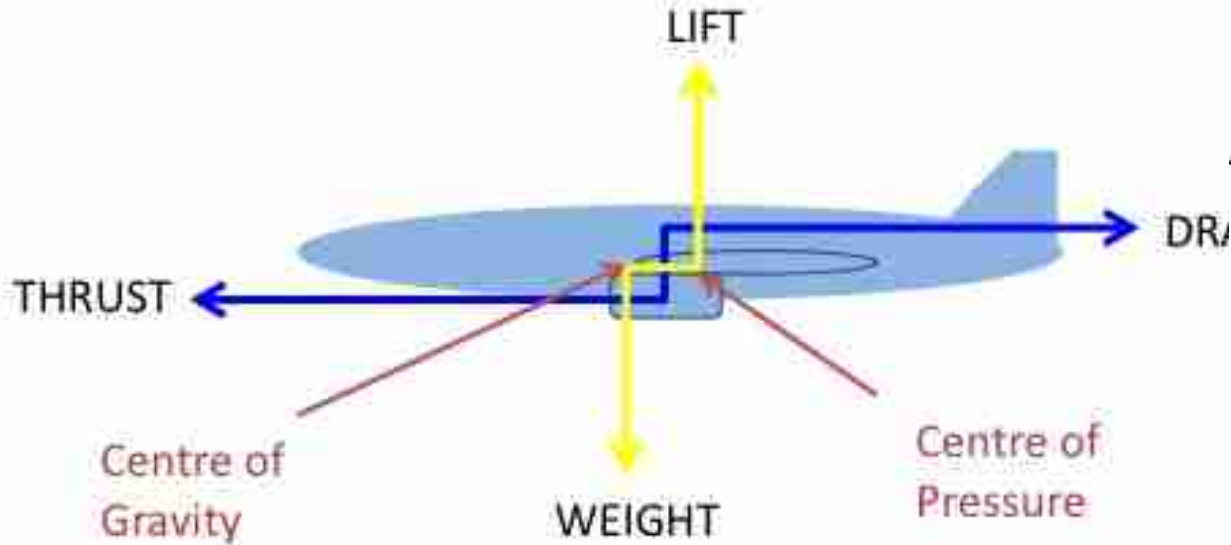
Design of Turbomachines, A&M Dept, ULiège  
koen.hillewaert@uliege.be

**Remy Princivalle**

Principal Engineer, Safran Aero Boosters  
remy.princivalle@safrangroup.com

# 1. Balances, thrust and performance

## *Drag / thrust definition*



# 1. Balances, thrust and performance

## *Airbreathing engines: acceleration of (clean) air mass flow*

- **Thrust = acceleration force of engine mass flow from flight  $v_f$  to jet velocity  $v_j$**

$$\mathcal{T} = \dot{m}_a (v_j - v_f)$$

- **Powers**

- Propulsive power  $\rightarrow$  airplane acceleration:  $\mathcal{P}_p = \mathcal{T} u_f = \dot{m}_a (u_j - u_f) u_f = \dot{m}_a \Delta u u_f$

- Mechanical power  $\rightarrow$  fluid acceleration:  $\mathcal{P}_m = \dot{m}_a \Delta \mathcal{E}_k = \dot{m}_a \frac{u_j^2 - u_f^2}{2}$

- Lost power

$$\mathcal{P}_l = \mathcal{P}_m - \mathcal{P}_p = \dot{m}_a \frac{\Delta u^2}{2}$$

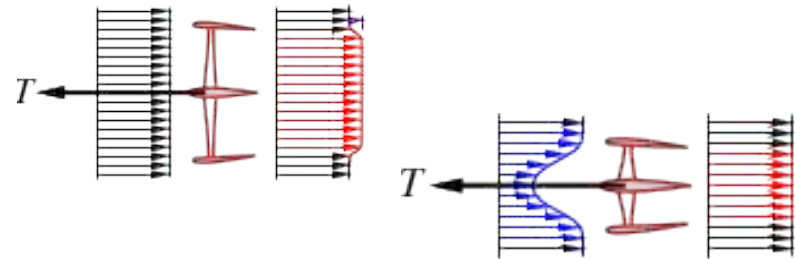
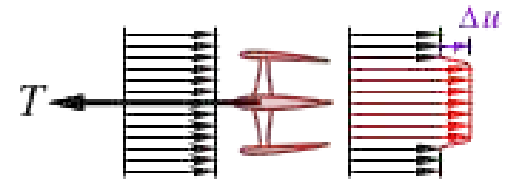
- **Propulsive efficiency:**

$$\eta_p = \frac{\mathcal{P}_p}{\mathcal{P}_m} = \frac{2u_f}{u_f + u_j}$$

- **Increasing propulsive efficiency for constant thrust:**

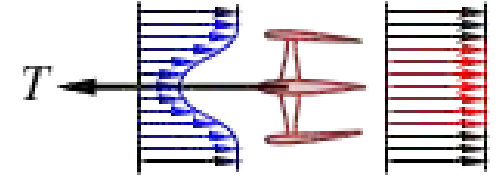
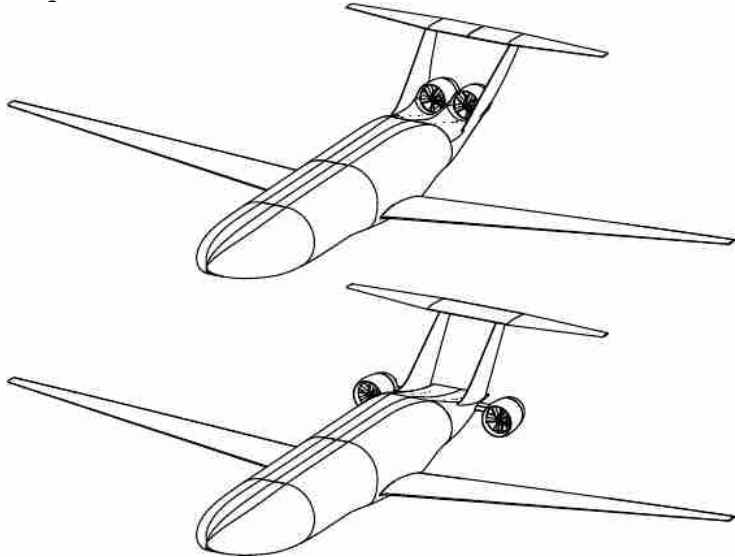
- increase mass flow, decrease jet velocity

- Ingest flow at speed lower than flight speed  $\mathcal{T} = \dot{m}_a (v_f - v_i)$

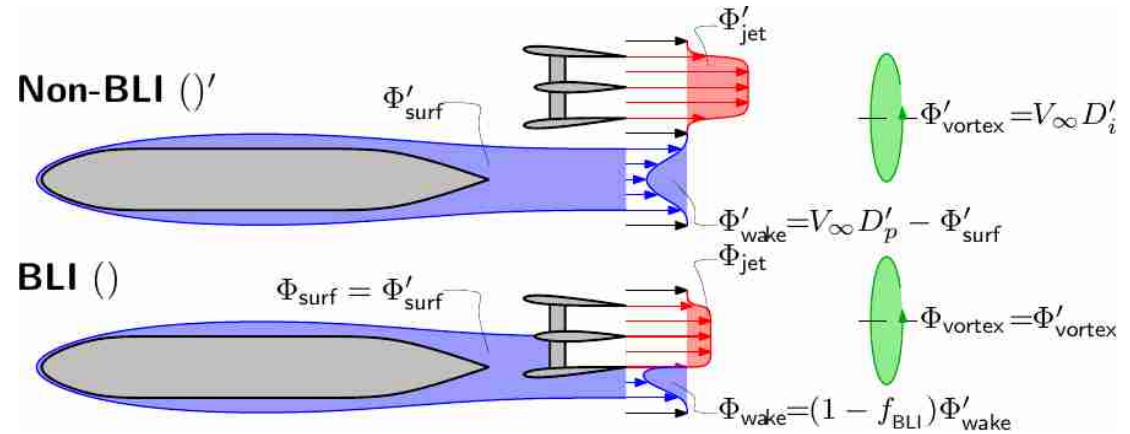


# 1. Balances, thrust and performance

## Airbreathing engines: Boundary Layer Ingestion



$$T = \dot{m}_a (v_j - v_i)$$



# 1. Balances, thrust and performance

## *Airbreathing engines: classical performance parameters*

- **Thermal energy  $Q = m_f \Delta h_f$**

- Fuel mass flow rate:  $\dot{m}_f$
- Fuel to air ratio:  $far = \dot{m}_f / \dot{m}_a$
- Fuel lower heating value:  $\Delta h_f \approx 43MJ/kg$

- **Overall efficiency : propulsive power  $P_p$  versus thermal energy  $Q$**

- Propulsive efficiency:

$$\eta_p = \frac{P_p}{P_m} = \frac{2v_f}{v_f + v_j}$$

- Thermal efficiency:

$$\eta_t = \frac{P_m}{Q} = \frac{P_m}{\dot{m}_f \Delta h_f}$$

$$\eta = \frac{P_p}{Q} = \eta_p \eta_t$$

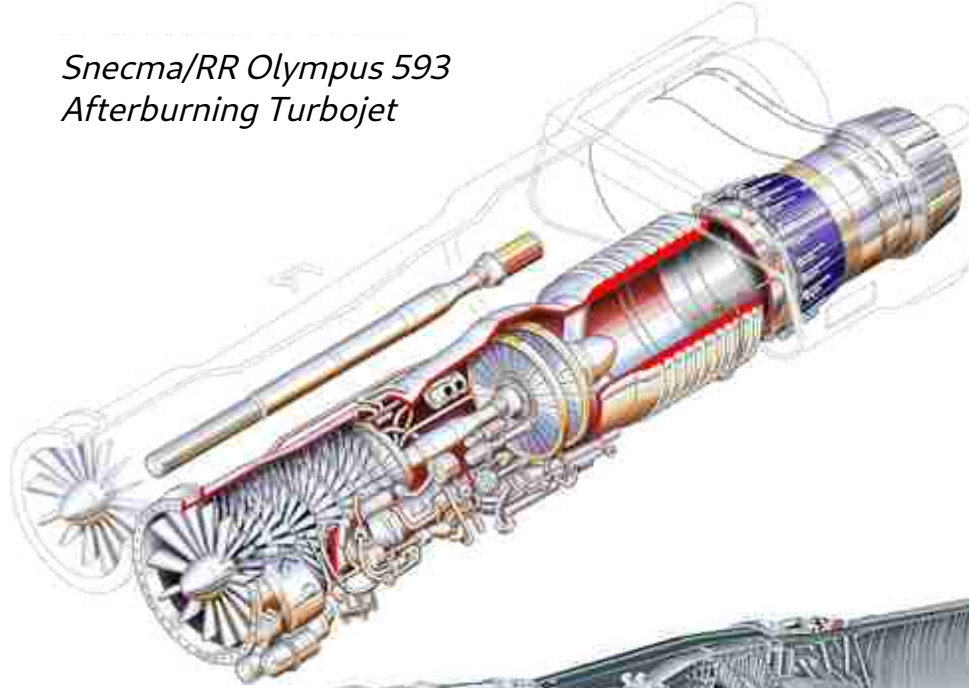
- **Efficiency  $\rightarrow$  Thrust specific fuel consumption (TSFC)  $TSFC = \frac{\dot{m}_f}{T}$**

- **Compacity  $\rightarrow$  Specific thrust  $\mathcal{T}_s = \frac{T}{\dot{m}_a}$**

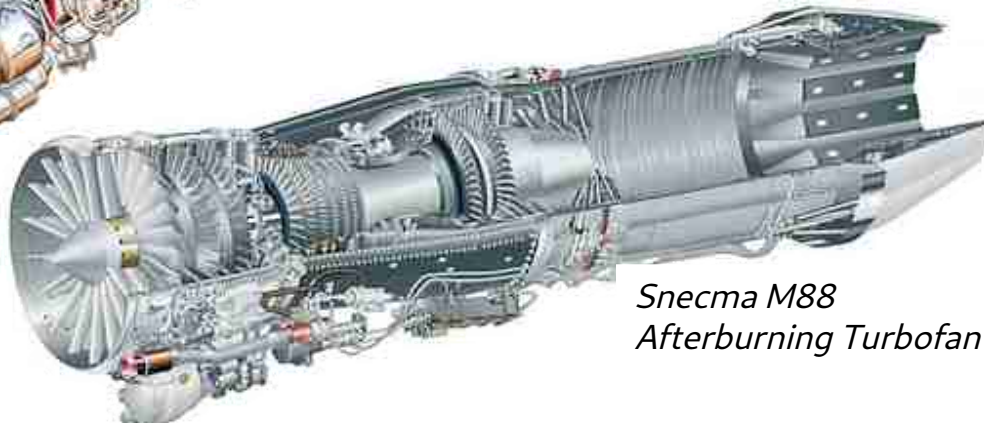
## 2. Jet engines

*Generation of "high" speed jet through expansion over nozzle*

*Snecma/RR Olympus 593  
Afterburning Turbojet*



*CFM Leap  
Civil Turbofan*



*Snecma M88  
Afterburning Turbofan*

# 2. Jet engines

*Generation of "high" speed jet through expansion over nozzle*

- **Ingestion of  $m_a$  air at flight speed in nacelle**

- Ram effect: increased total T and p due to relative Mach number  $M_f$

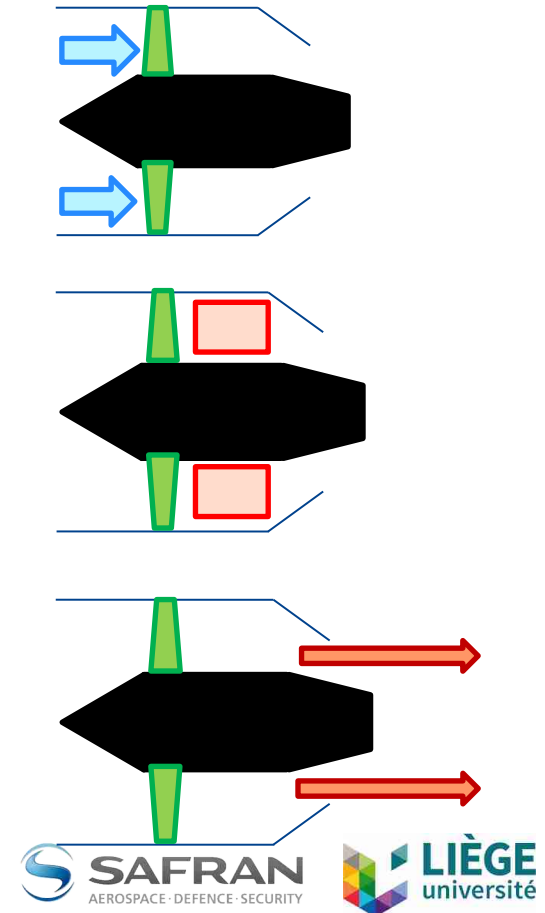
$$T^\circ = T_a \left( 1 + \frac{\gamma - 1}{2} M_f^2 \right) \quad p^\circ = p_a \left( \frac{T^\circ}{T_a} \right)^{\frac{\gamma}{\gamma - 1}}$$

- **Increase total pressure and temperature**

- Mechanical : fan
- Thermal : gas generator / Brayton
- Afterburning

- **Expansion over exhaust nozzle to ambient pressure**

- Choked
- Adapted

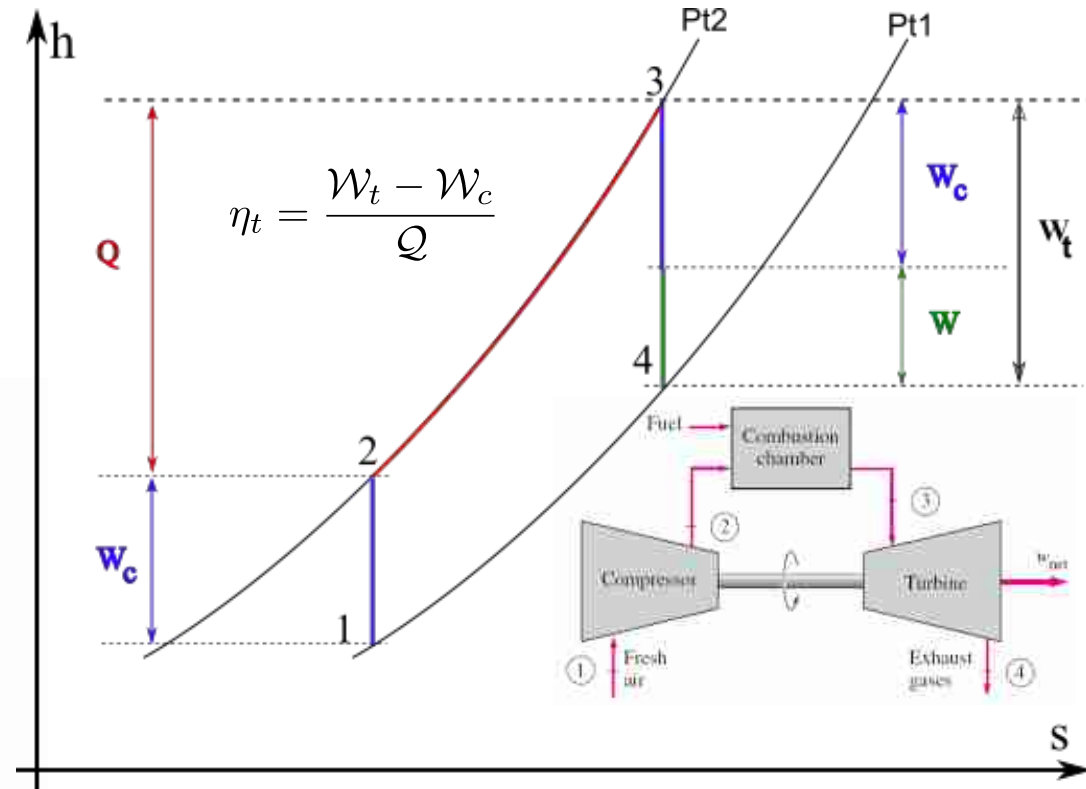
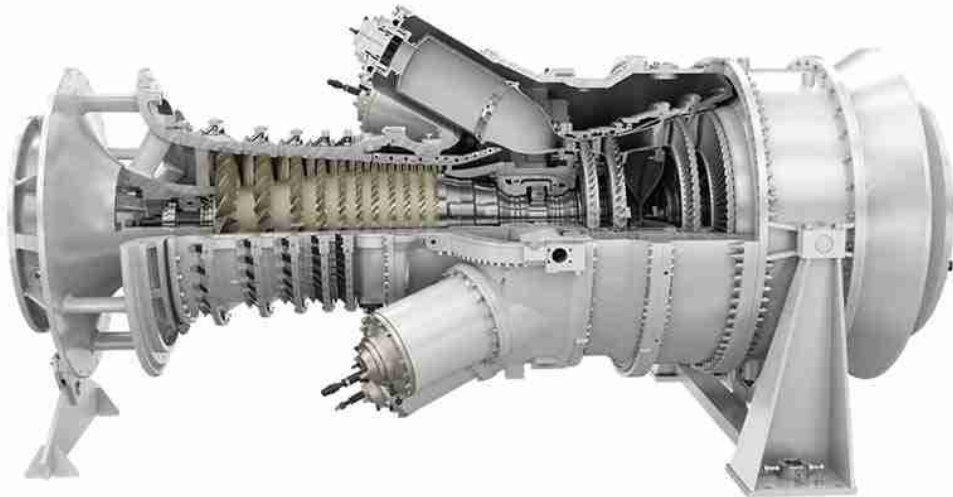


# 2. Jet engines

## Core flow: Brayton thermodynamic cycle

- **Thermodynamic cycle**

- Adiabatic compression 1 → 2:  $W_c = \dot{m}\Delta H_{12}$
- Combustion 2 → 3:  $Q = \dot{m}\Delta H_{23}$
- Adiabatic expansion 3-4:  $W_t = \dot{m}\Delta H_{43}$





# 2. Jet engines

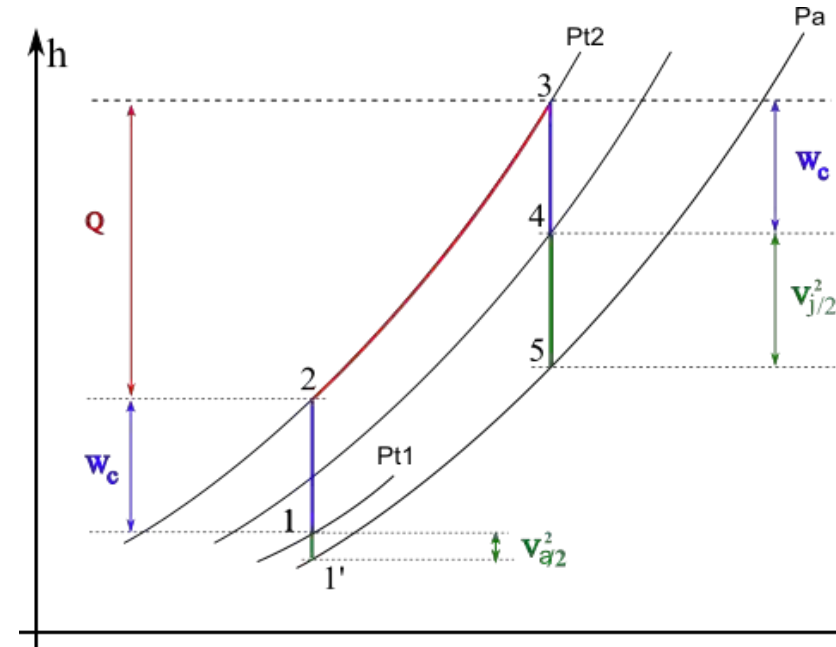
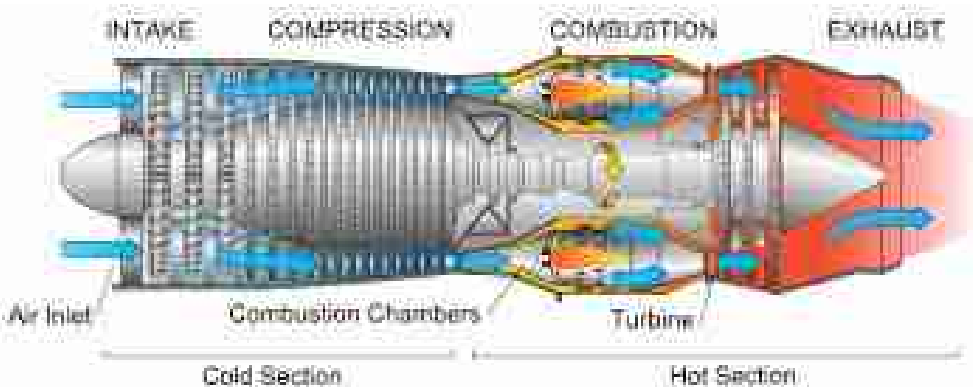
*Turbojet : high subsonic through supersonic flow*

- **Core flow**

- RAM effect : 1' - 1
- Compressor : 1 - 2
- Combustion : 2 - 3
- Turbine expansion : 3 - 4
- Exhaust nozzle jet : 4 - 5



- **High specific thrust**

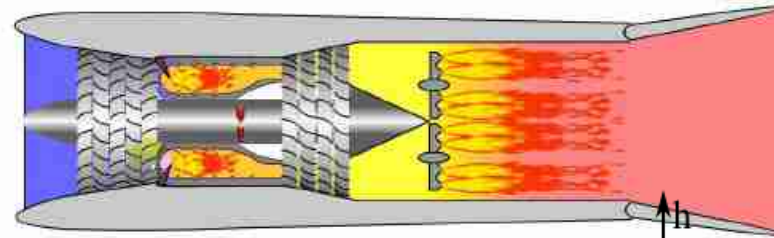


# 2. Jet engines

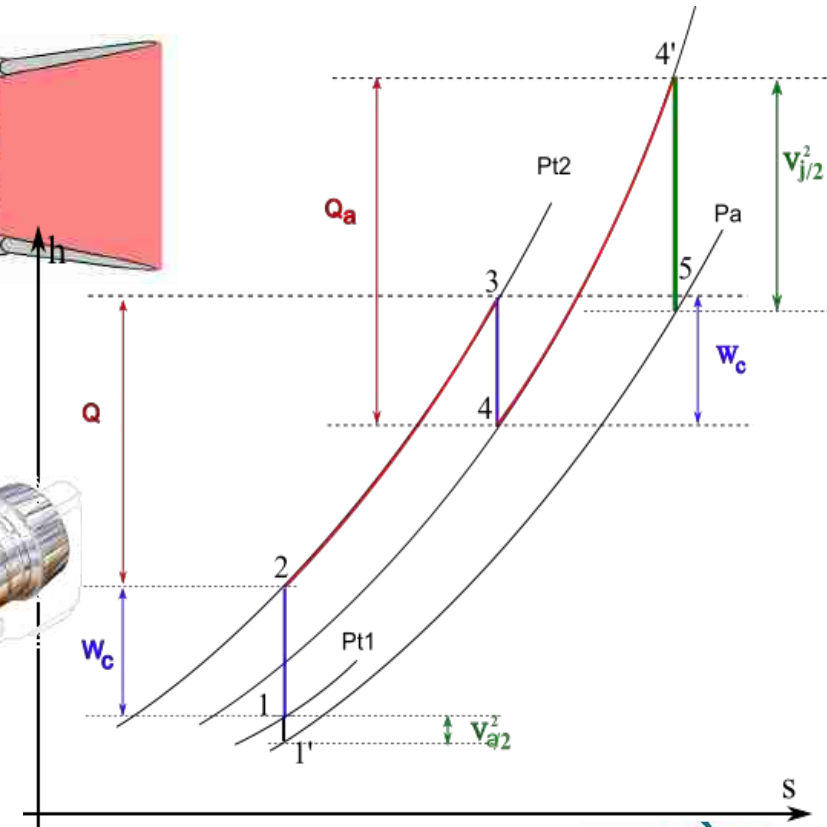
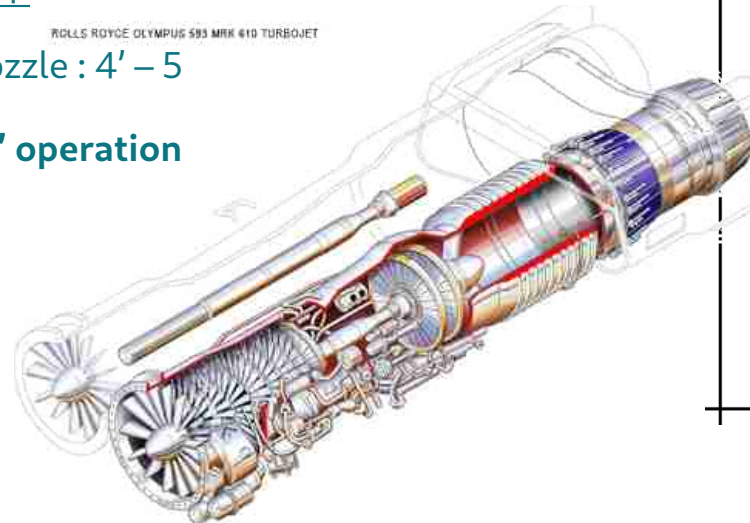
## Afterburning turbojet: dry and wet operation

- Core flow

- Ram effect : 1' - 1
- Compressor : 1 - 2
- Combustion : 2 - 3
- Expansion in turbine : 3 - 4
- Wet / afterburning : 4 - 4'
- Exhaust by adjustable nozzle : 4' - 5



ROLLS ROYCE OLYMPIUS 593 MKII #10 TURBOJET



- Nearly double thrust in “wet” operation



# 2. Jet engines

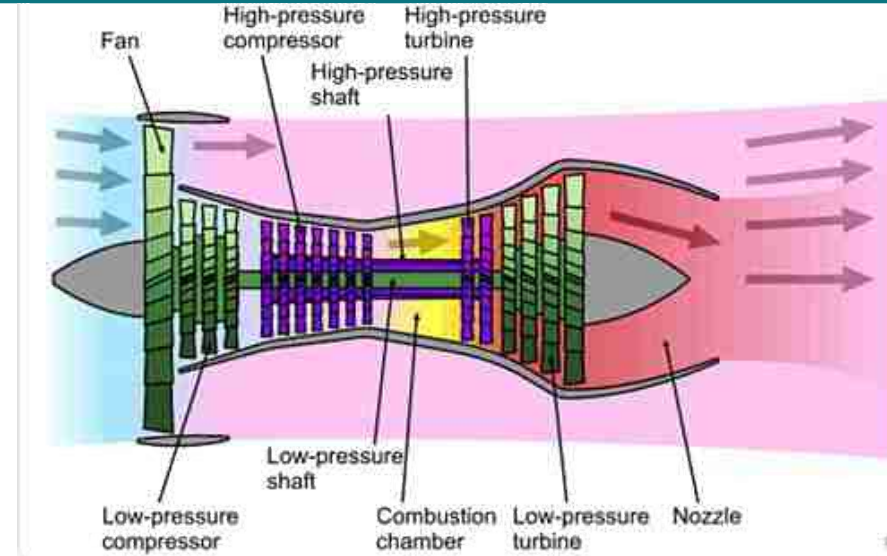
## *Civil turbofan : high subsonic/transonic*

- **Core  $m_c$  and bypass  $m_b$  flow rate**

- Bypass ratio (BPR):  $\alpha = m_b/m_c$

- **Core / primary : mech. power**

- Fan + compressor : 1 - 2
- Combustion : 2 - 3
- Turbine  $\rightarrow$  fan & compressor 3 - 4
- Exhaust jet : 4 - 5



- **Bypass / secondary flow : thrust**

- Compression by fan 1 - 2'
- Exhaust nozzle 2' - 5

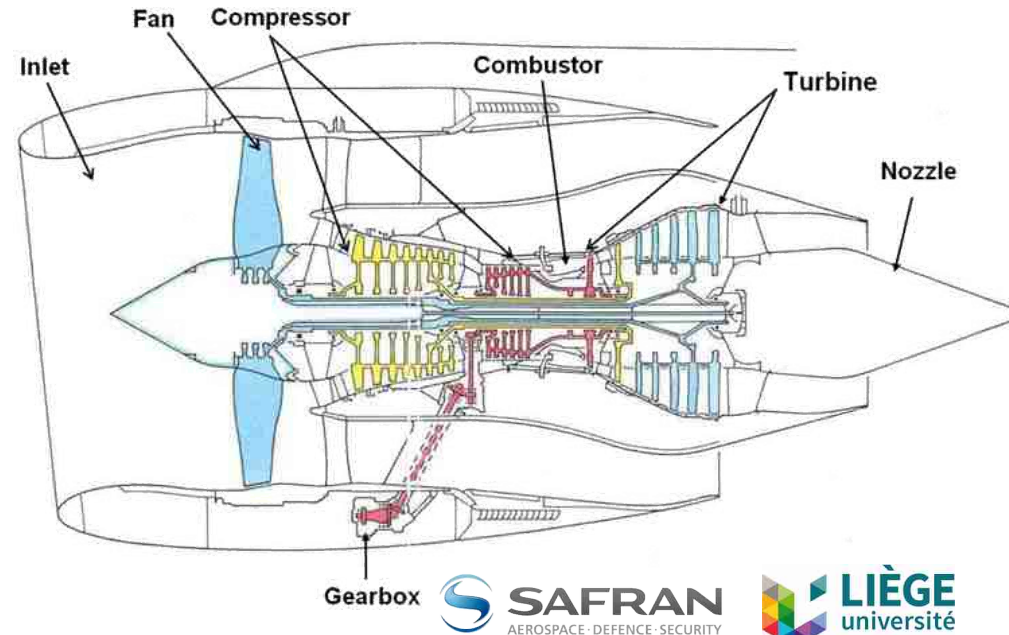
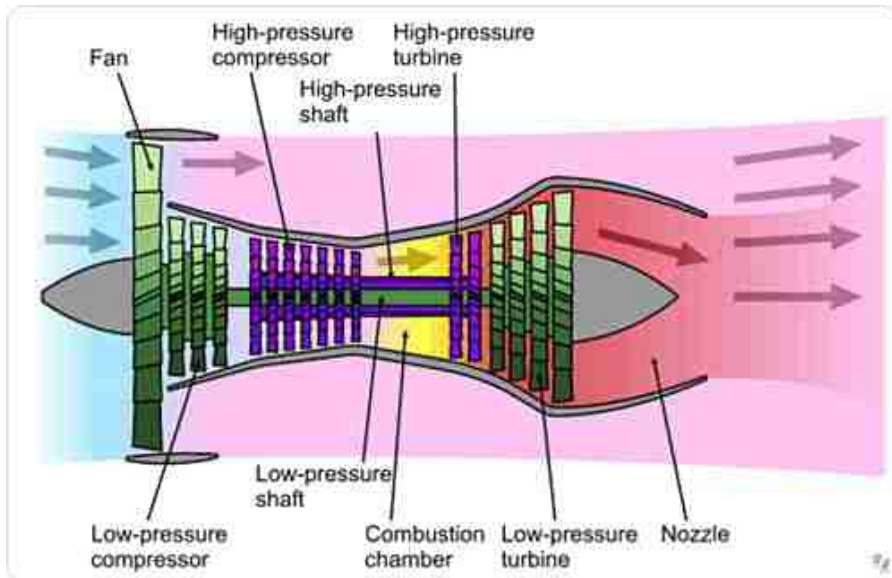


- **High propulsive efficiency: small acceleration or high mass flow rate**

# 2. Jet engines

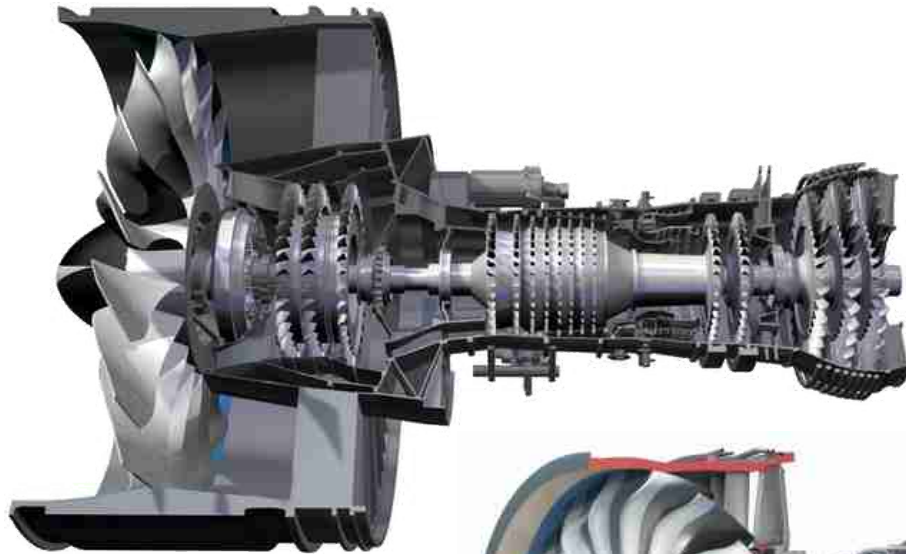
## *Civil turbofan: multispool turbofans*

- Optimal rotation speed = slightly supersonic at the tip
- Different spools / shafts → optimise rotation speed
- LP spool drives fan → large LP turbine



# 2. Jet engines

## *Civil turbofan : geared turbofan (GTF)*

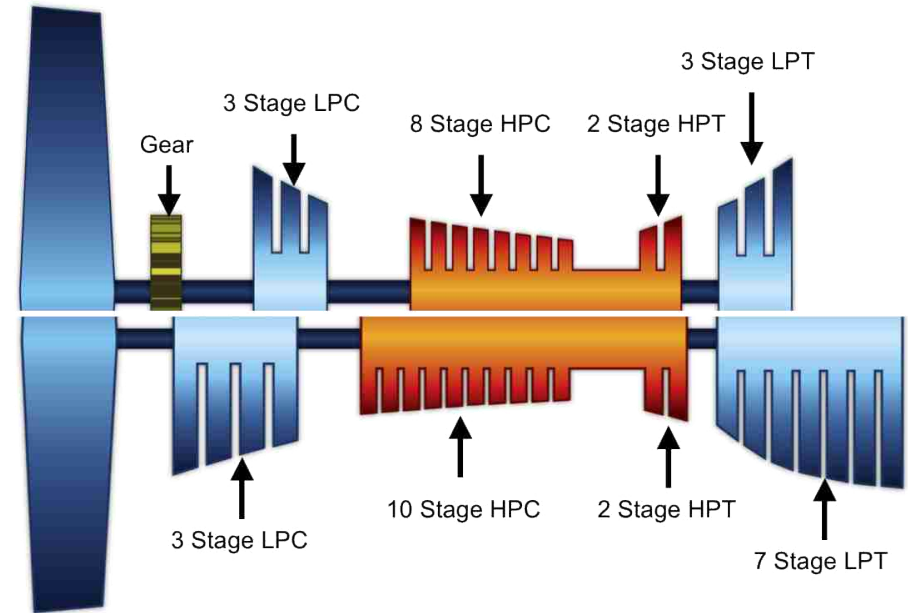


PW1100G  
BPR = 12.5



CFM Leap  
BPR = 9 .. 11

PW1100G

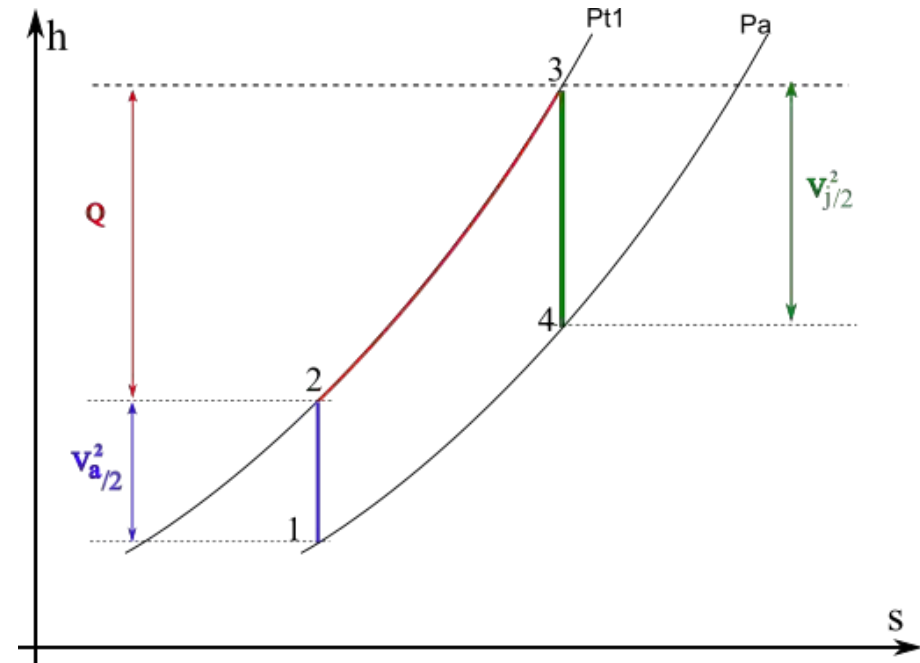
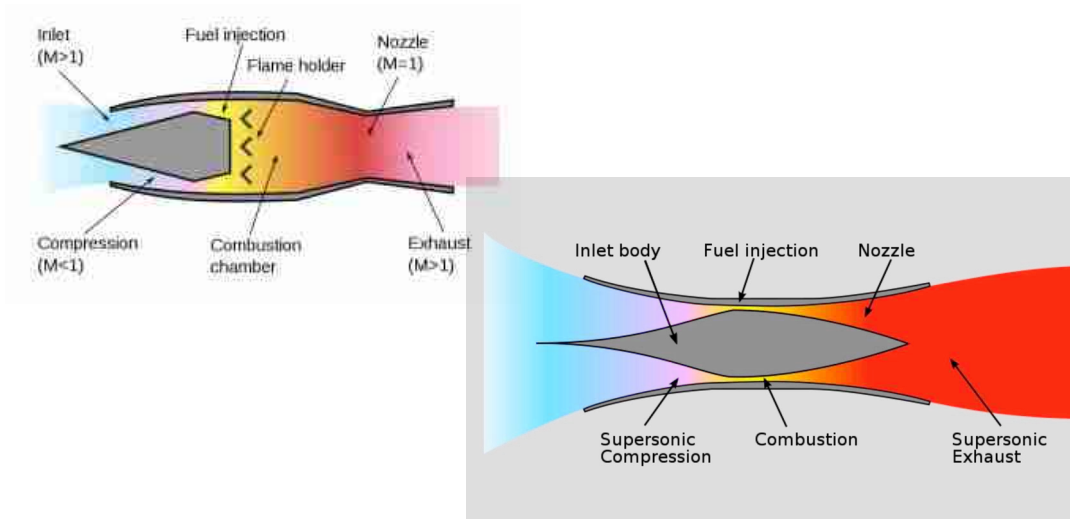


# 2. Jet engines

## 2.4 RAM/ScramJet: supersonic flight $M > 3$

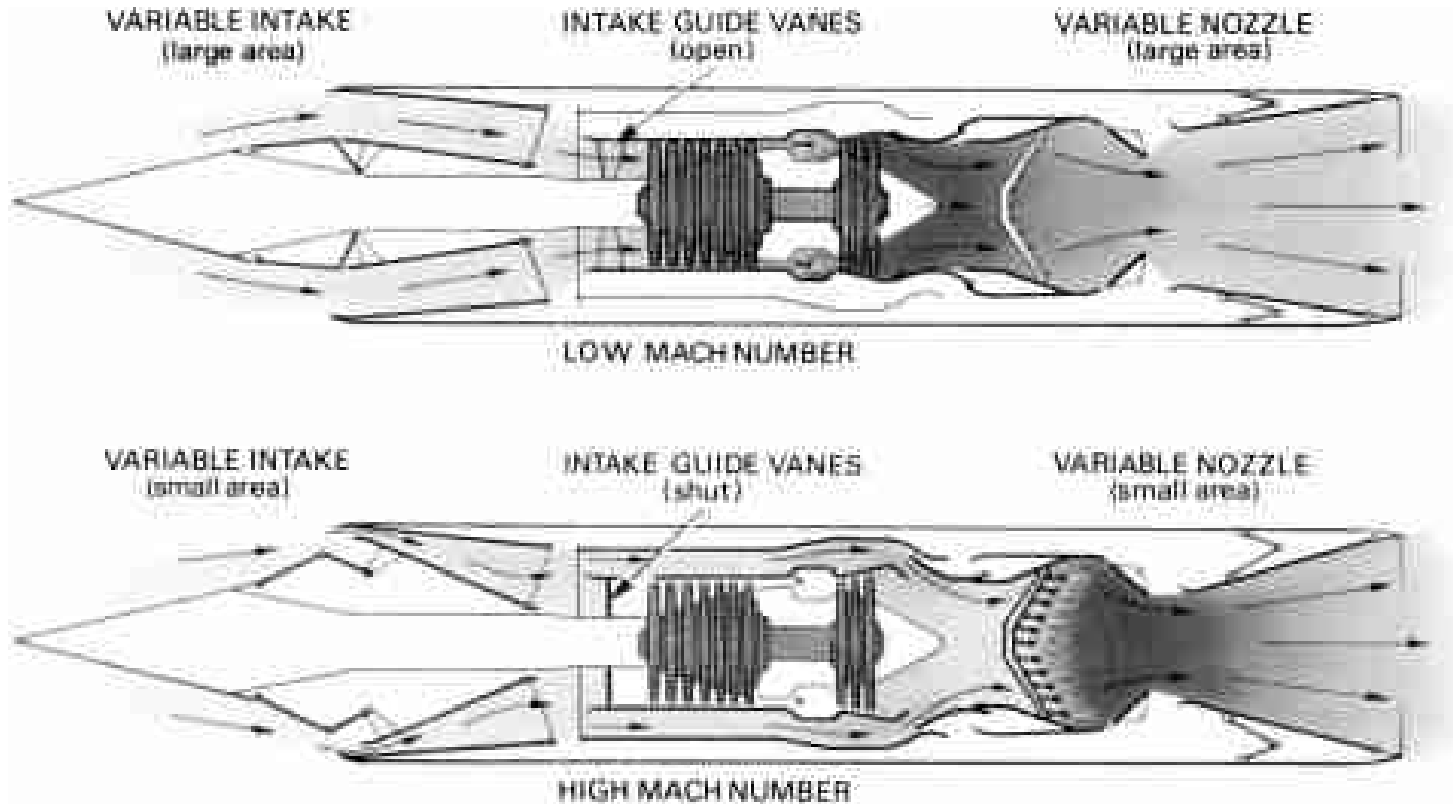
- **Cycle without machines**

- Convert kinetic energy  $v_a$  in pressure  $P_t$  by "RAM" effect : 1 - 2
- Combustion : 2-3
  - **RAMJET** : subsonic combustion
  - **Supersonic Combustion RAMJET**
- Expand in nozzle to form jet : 3 - 4



## 2. Jet engines

### *Combined afterburning turbojet & ramjet*



# 2. Jet engines

## Nozzle

- **Jet engine nozzle ~ de Laval nozzle**

- Nozzle pressure ratio  $NPR = \frac{p^\circ}{p_a}$
- Critical pressure ratio ~ choking  $NPR^* = \frac{p^\circ}{p^*} \approx 1.78$
- Choking mass flow rate  $\dot{m}^* \approx 0.68 \frac{p^\circ A}{\sqrt{RT^\circ}}$

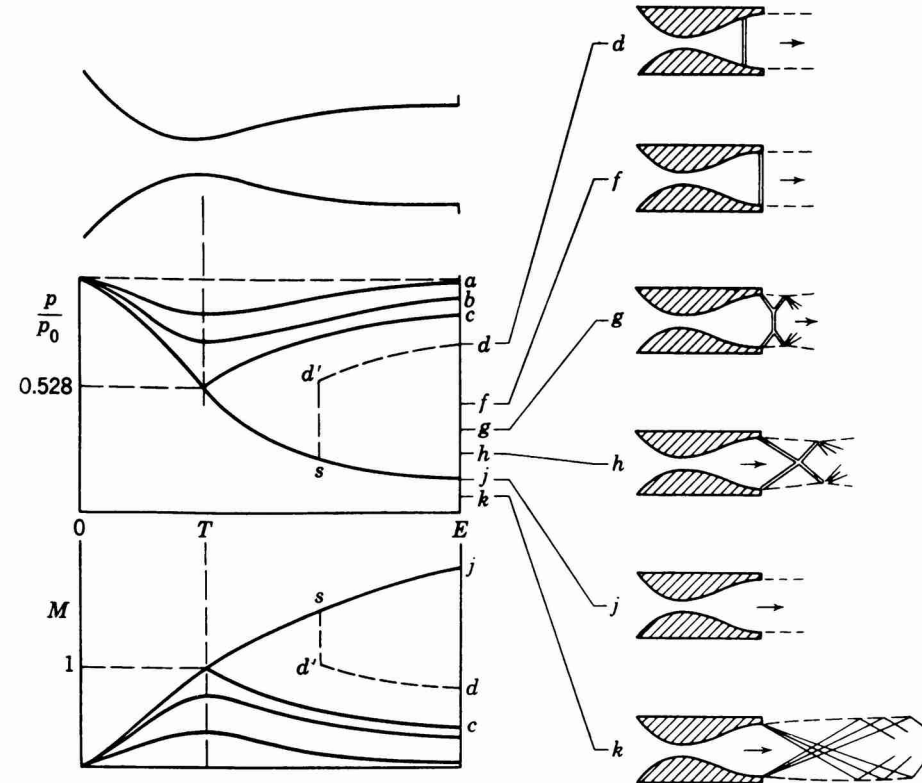
- **Thrust for imperfect expansion**

$$T = \dot{m}(v_j - v_f) + (p_j - p_a)A$$

- **Maximal thrust if adapted ( $p_j = p_a$ )**  $T = \dot{m}(v_j - v_f)$

- **Engine operating point = match GG and nozzle**

- GG determines  $p^\circ$  and  $T^\circ$  upstream of nozzle
- Nozzle limits maximum mass flow rate
- Thrust can be optimized by varying throat (and expansion ratio)
- Area needs to be variable to accommodate large variations in  $T^\circ$





# 2. Jet engines

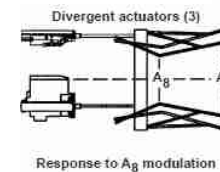
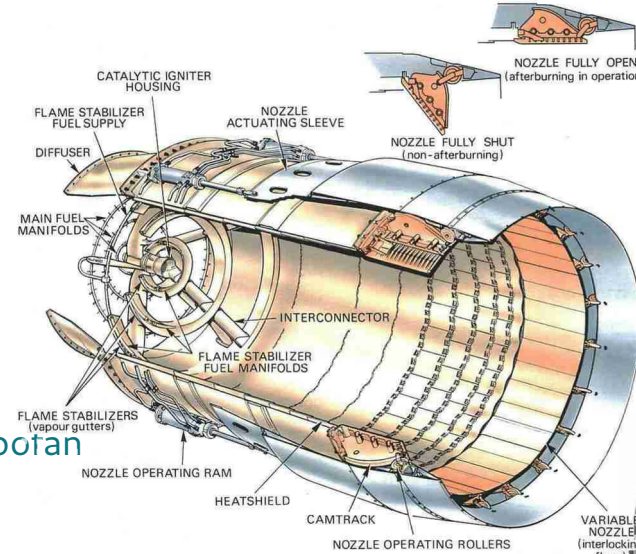
## Nozzle

- **Converging**

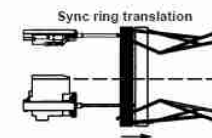
- Sonic jet (wrt exhaust T) → lower speeds
- Choked if  $NPR > NPR^*$
- Adapted if  $NPR < NPR^*$
- Fixed for civil turbofan (this could change ...)
- Variable throat for military/afterburning turbofan

- **Converging-diverging**

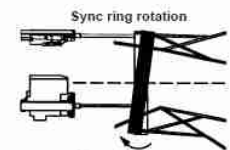
- Higher speed range
- Variable throat and expansion area to adapt to GG and flight (thrust vectoring)
- Afterburning turbojet/turbofan



Response to  $A_g$  modulation



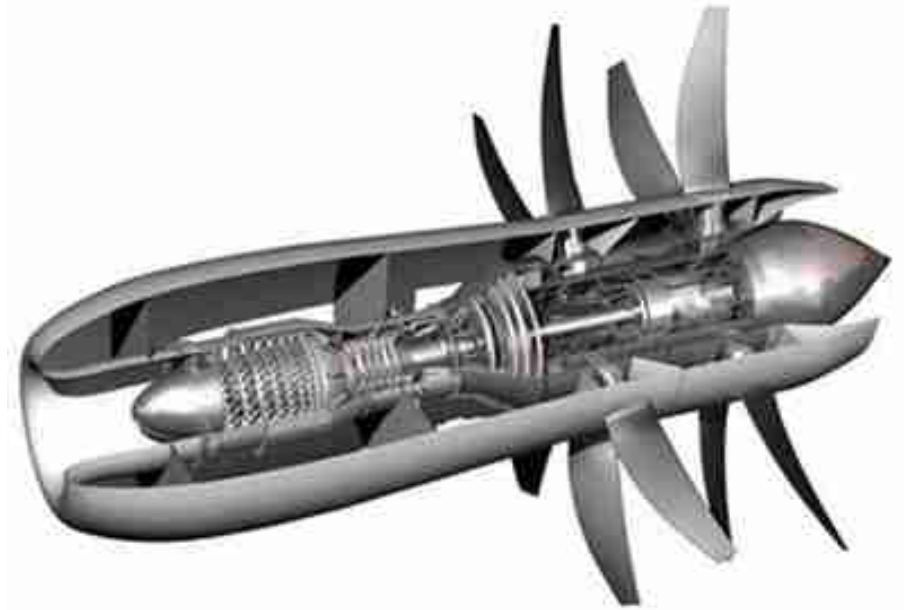
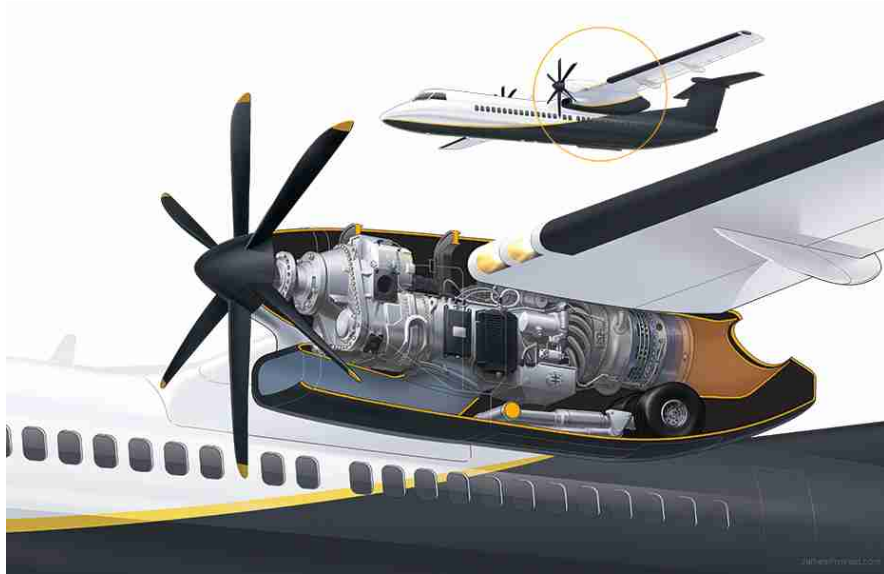
Area ratio modulation



Thrust vectoring

# 3. Propellers

*Mechanical acceleration by lift forces on propeller blades*



# 3. Propellers

*Global operation: Rankine-Froude theorem*

- **Accelerating / contracting stream tube**

$$\dot{m} = \rho v_0 S_0 = \rho v_1 S_1 = \rho v_2 S_2$$

- **Thrust**  $T = \dot{m}(v_2 - v_0)$

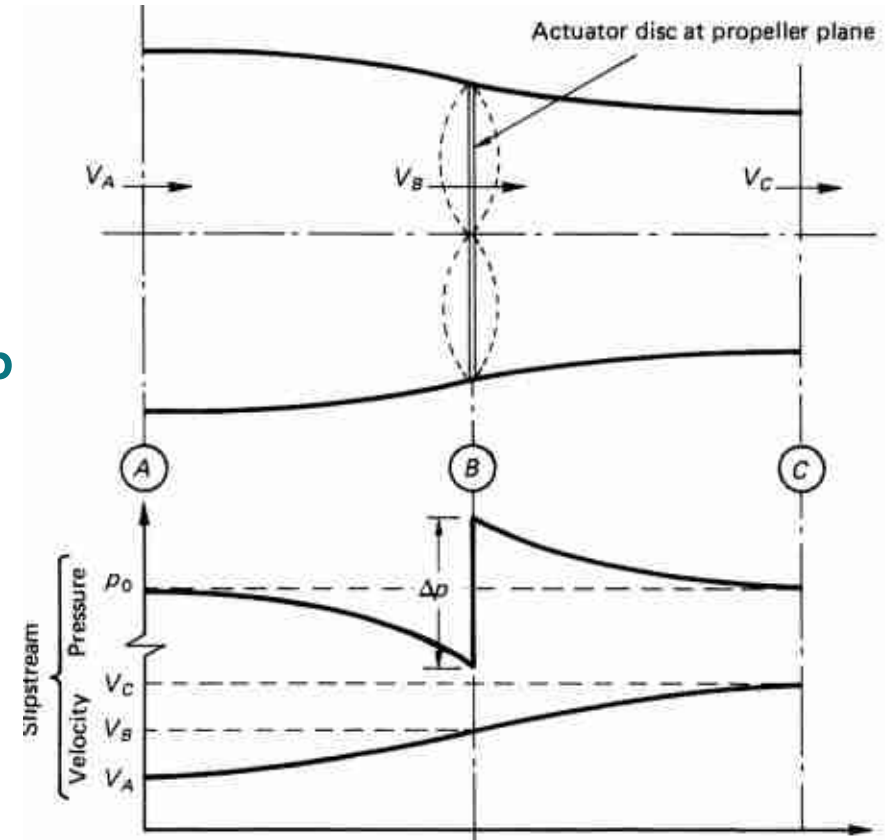
- **Propeller = actuator disk – pressure jump**

$$p_{1+} = p_{1-} + \Delta p$$

- **No losses up/down - Bernoulli**

$$p_{1+} = p_\infty + \frac{1}{2}\rho(v_2^2 - v_1^2)$$

$$p_{1-} = p_\infty + \frac{1}{2}\rho(v_0^2 - v_1^2)$$



# 3. Propellers

*Global operation: Rankine-Froude theorem + induced velocity*

- **Induction factor a**

$$v_{B+} = v_{B-} = v_B = v_A(1 + a) = v(1 + a)$$

- **Thrust computed two ways**

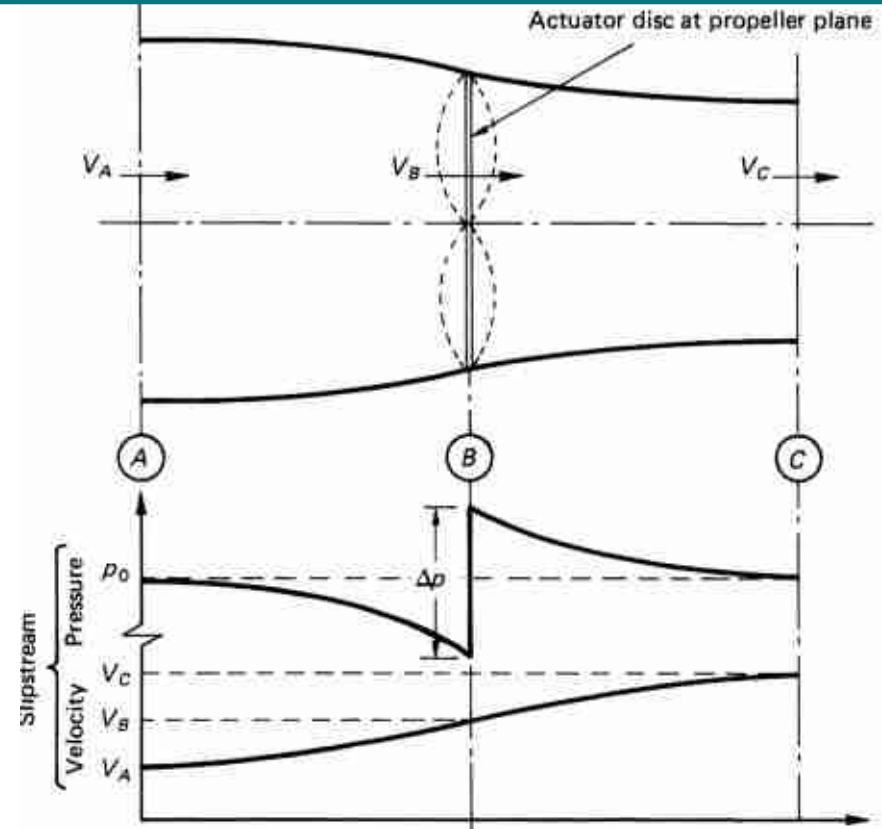
- stream tube control volume

$$T = \dot{m}(v_C - v_A) = \rho v_B S_1 (v_C - v_A)$$

- pressure difference

$$\begin{aligned} T &= (p_{B+} - p_{B-})S = \rho \frac{(v_C^2 - v_A^2)}{2} S \\ &= \rho \frac{(v_A + v_C)(v_C - v_A)}{2} S \end{aligned}$$

$$\Rightarrow v_B = \frac{v_A + v_C}{2} \Rightarrow v_C = (1 + 2a)v_A$$



# 3. Propellers

*Global operation: thrust, power and propulsive efficiency*

- **Thrust**

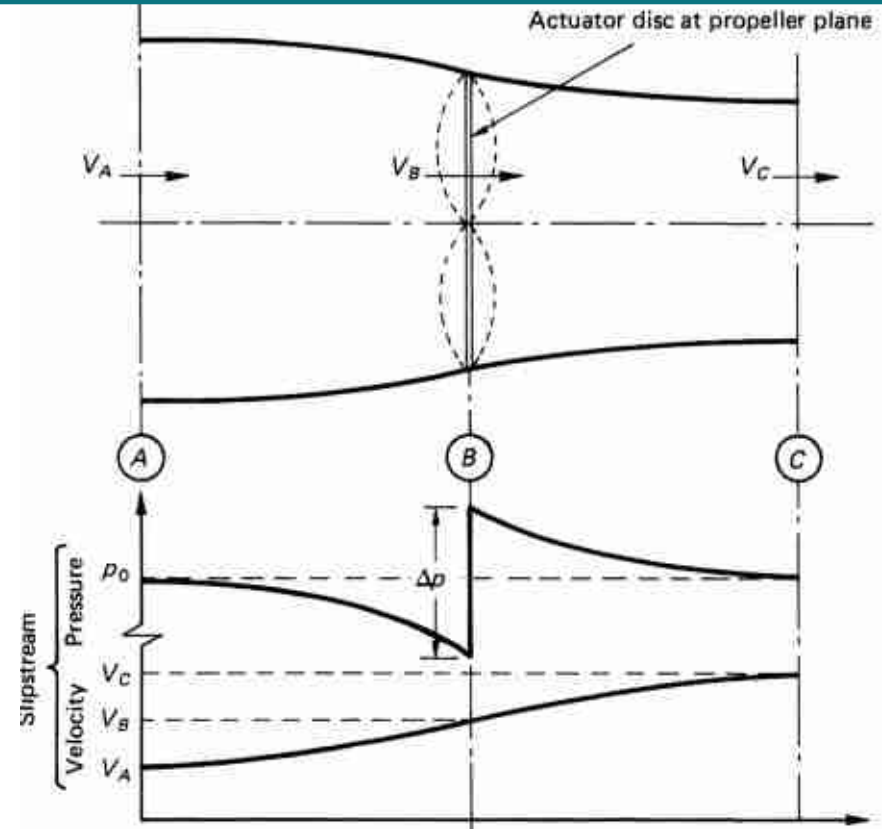
$$T = \dot{m}(v_C - v_A) = \rho v^2 S \cdot 2a(1 + a)$$

- **Power**

$$P = \dot{m} \frac{1}{2} (v_C^2 - v_A^2) = \rho v^3 S \cdot 2a(1 + a)^2$$

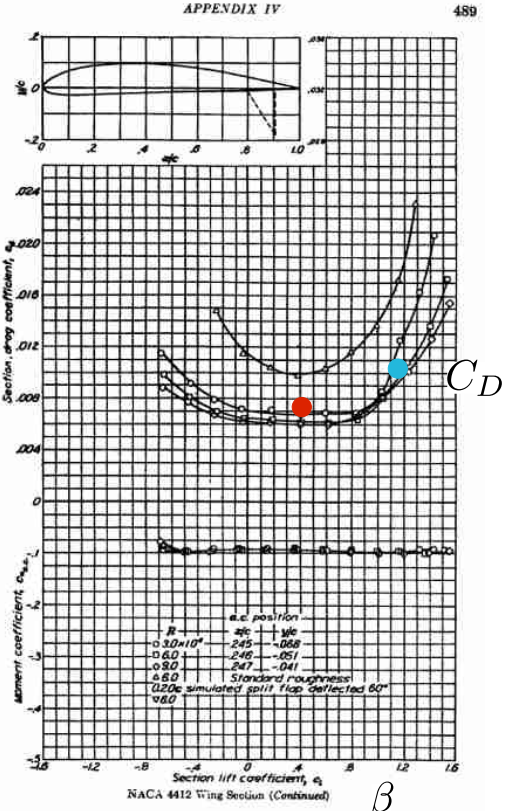
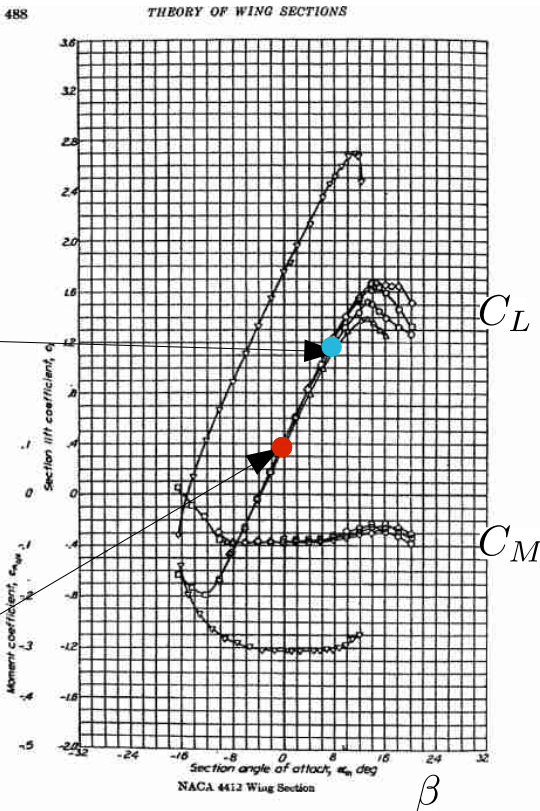
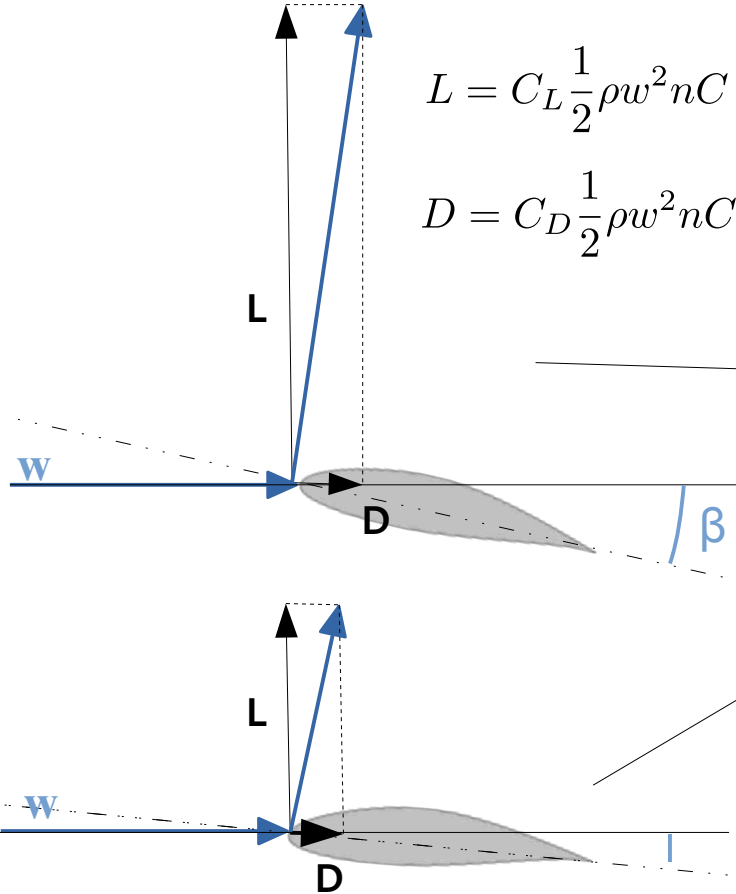
- **Propulsive efficiency**

$$\eta_p = \frac{Tv}{P} = \frac{1}{1 + a}$$



# 3. Propellers

Blades : airfoil lift/drag polars

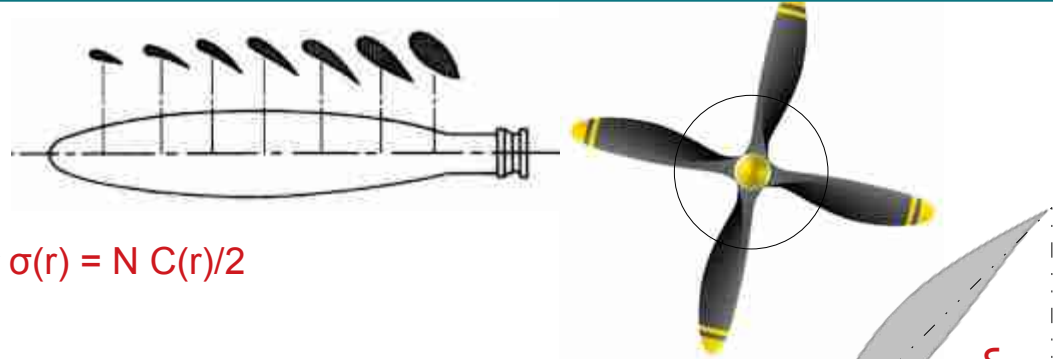


# 3. Propellers

## Blades – layout and operating parameters

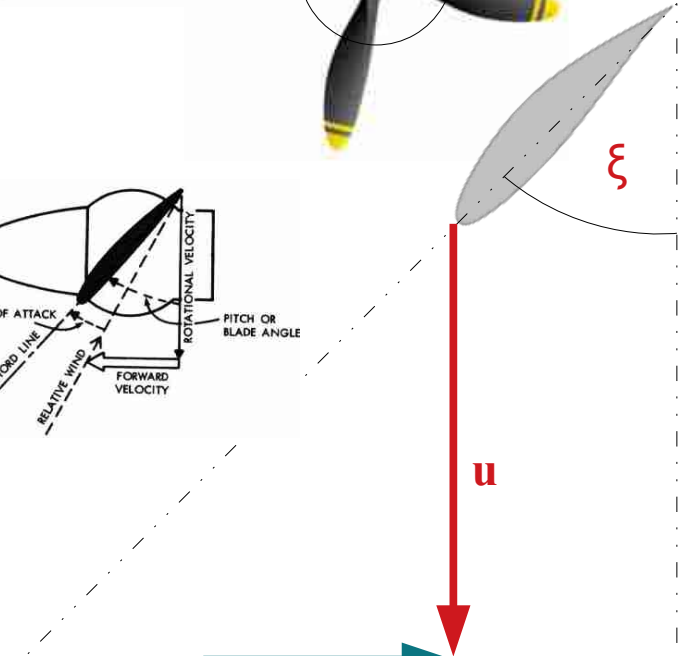
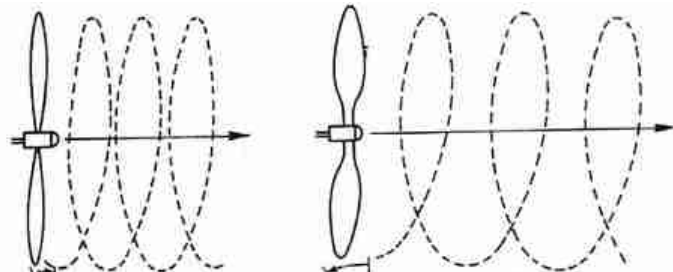
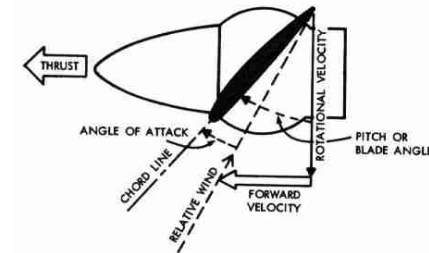
- **Geometry**

- Tip radius  $R_t$
- (Radial distribution of) blade profile
- Radial distribution of chord  $C(r)$  / Solidity  $\sigma(r) = N C(r)/2$



- **Operating parameters**

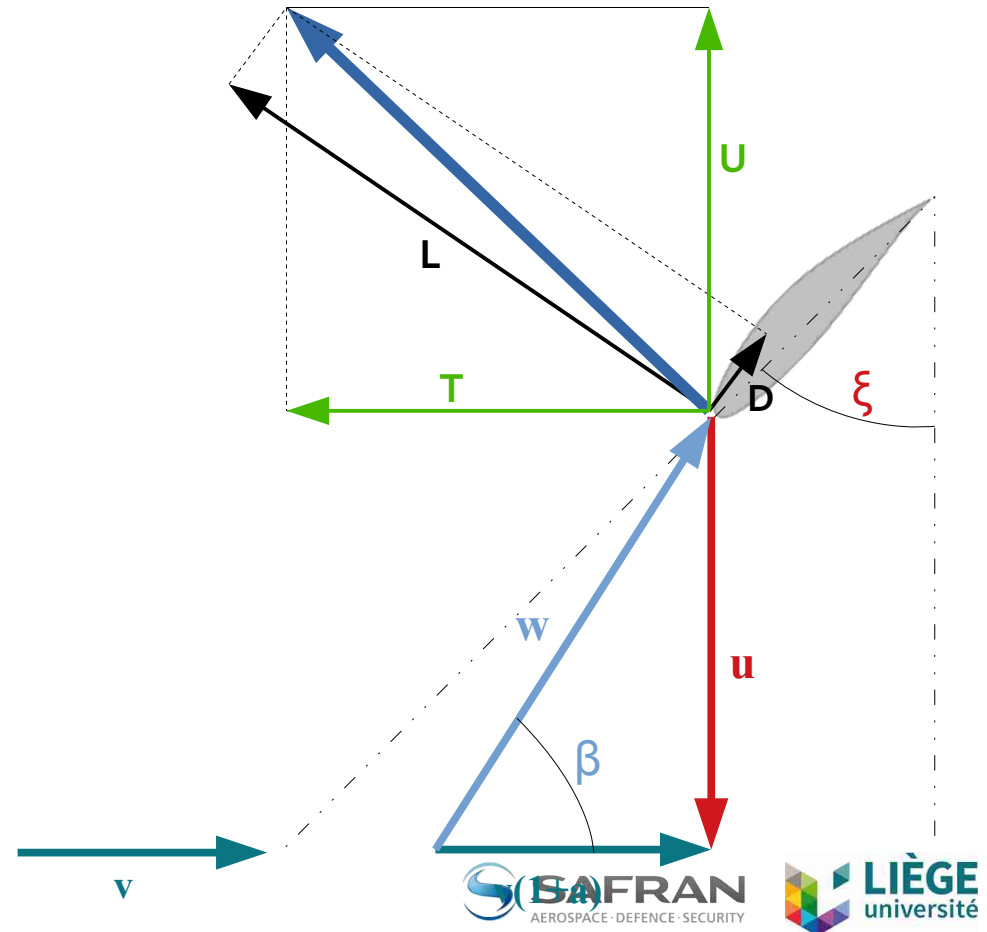
- Stagger or pitch angle  $\xi$
- Rotation speed  $\Omega \rightarrow$  local blade speed  $u = \Omega r$
- Advance ratio  $J = v_a/u_t = v_a/\Omega r_t$



# 3. Propellers

## Blade element method / Rotare - principle

- Induction factor  $a$  at disk  $\rightarrow v = v_0(1+a)$
- Relative velocity  $w$ , flow angle  $\beta$   
$$\mathbf{w} = (1 + a)v_0\mathbf{e}_x + u\mathbf{e}_y$$
- Lift/drag forces  $L$  &  $D$  as a function of
  - Relative velocity  $w$
  - Incidence  $i = \xi - \beta$
- Compute thrust  $T$  and tangential force  $U$   
$$T = L \sin \beta - D \cos \beta$$
  
$$U = L \cos \beta + D \sin \beta$$
- Recompute induction factor  $a$  from  $T$





# 3. Propellers

*Operation: performance parameters*

- **Thrust coefficient**

$$T = \dot{m}(v_C - v_A) = \rho v^2 S \cdot 2a(1 + a) \quad \Rightarrow \quad C_T = \frac{T}{\rho S u_b^2} = J^2 \cdot 2a(1 + a)$$

- **Power coefficient**

$$P = \dot{m} \frac{1}{2} (v_C^2 - v_A^2) = \rho v^3 S \cdot 2a(1 + a)^2 \quad \Rightarrow \quad C_P = \frac{P}{\rho S u_b^3} = 2a(1 + a)^2$$

# 3. Propellers

## Operating point

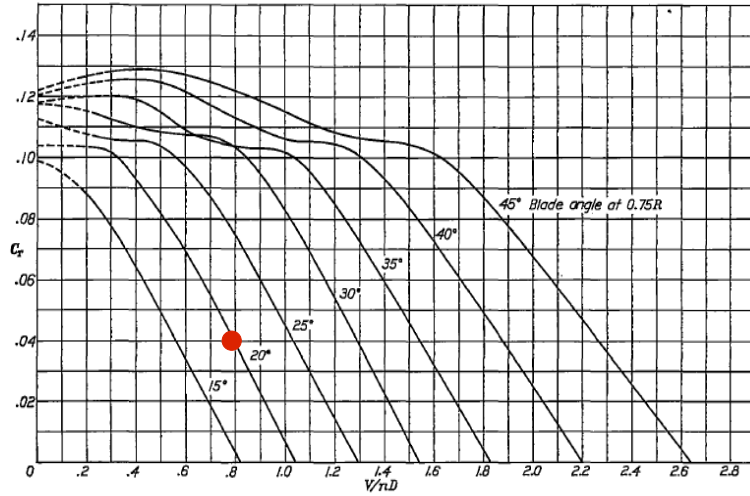


FIGURE 8.—Thrust-coefficient curves for propeller 868-6, Clark Y section, 2 blades.

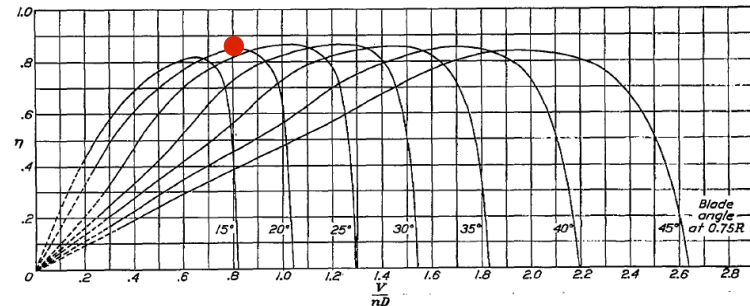
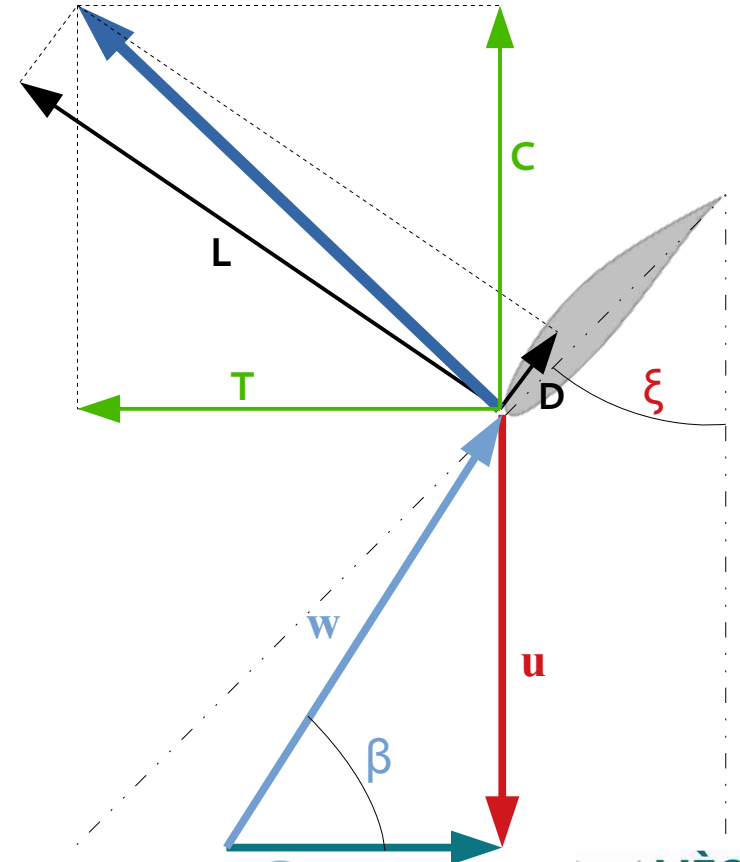


FIGURE 9.—Efficiency curves for propeller 868-6, Clark Y section, 2 blades.



# 3. Propellers

Operation point: variation of advance ratio (flight speed or rotation speed)

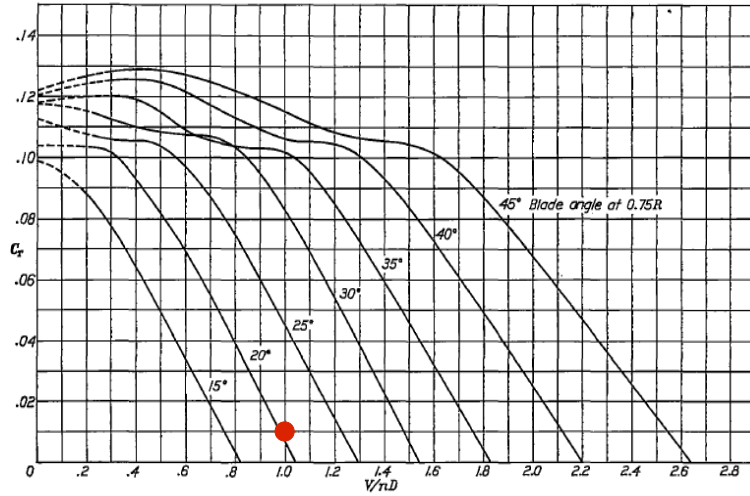


FIGURE 8.—Thrust-coefficient curves for propeller 868-4, Clark Y section, 2 blades.

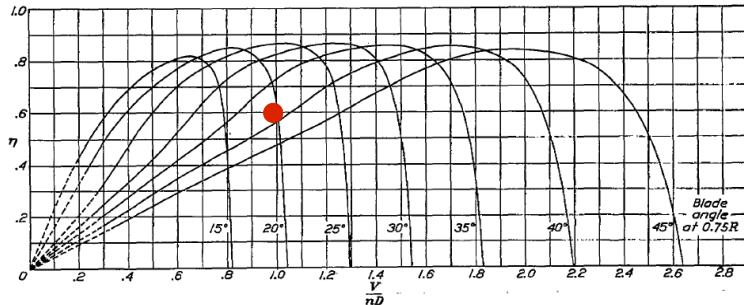
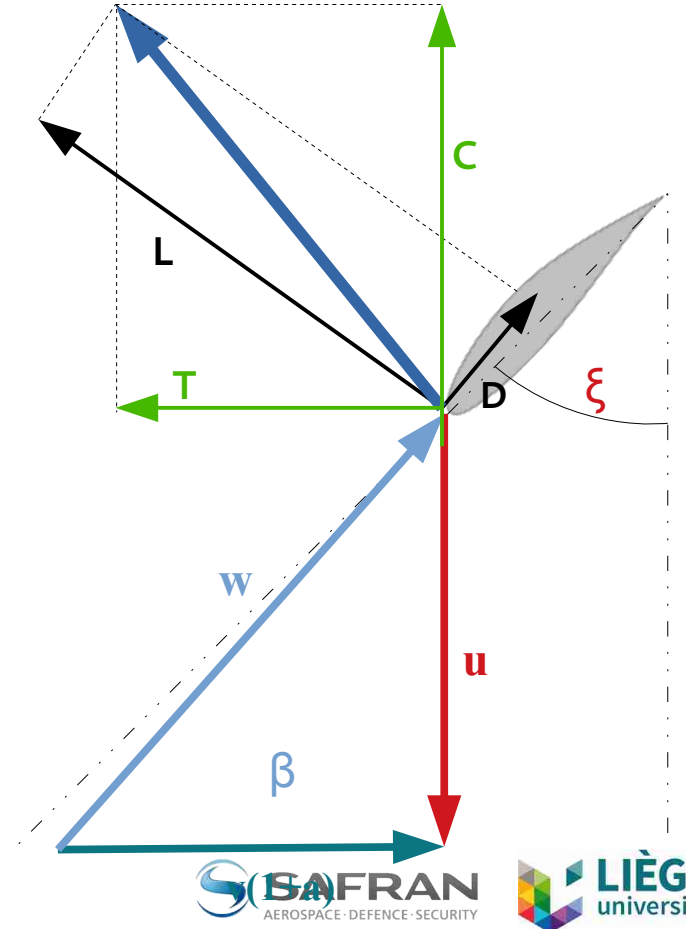


FIGURE 9.—Efficiency curves for propeller 868-4, Clark Y section, 2 blades.



# 3. Propellers

Operation: pitch control

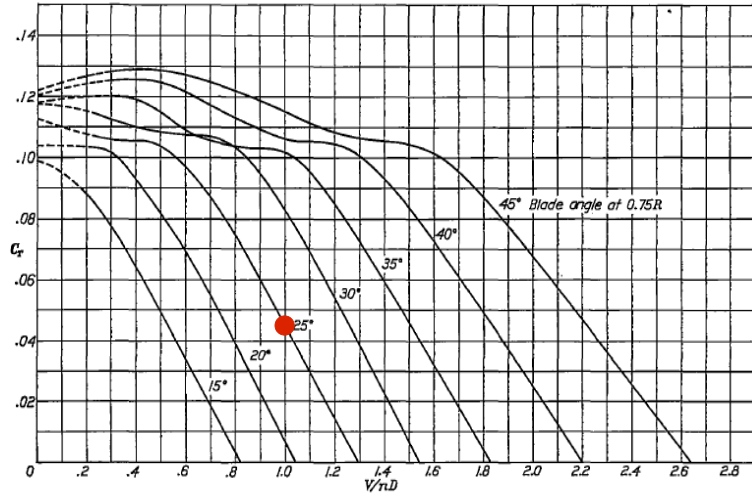


FIGURE 8.—Thrust-coefficient curves for propeller 868-6, Clark Y section, 2 blades.

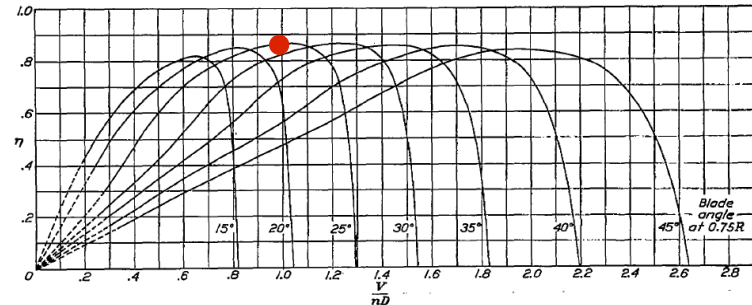
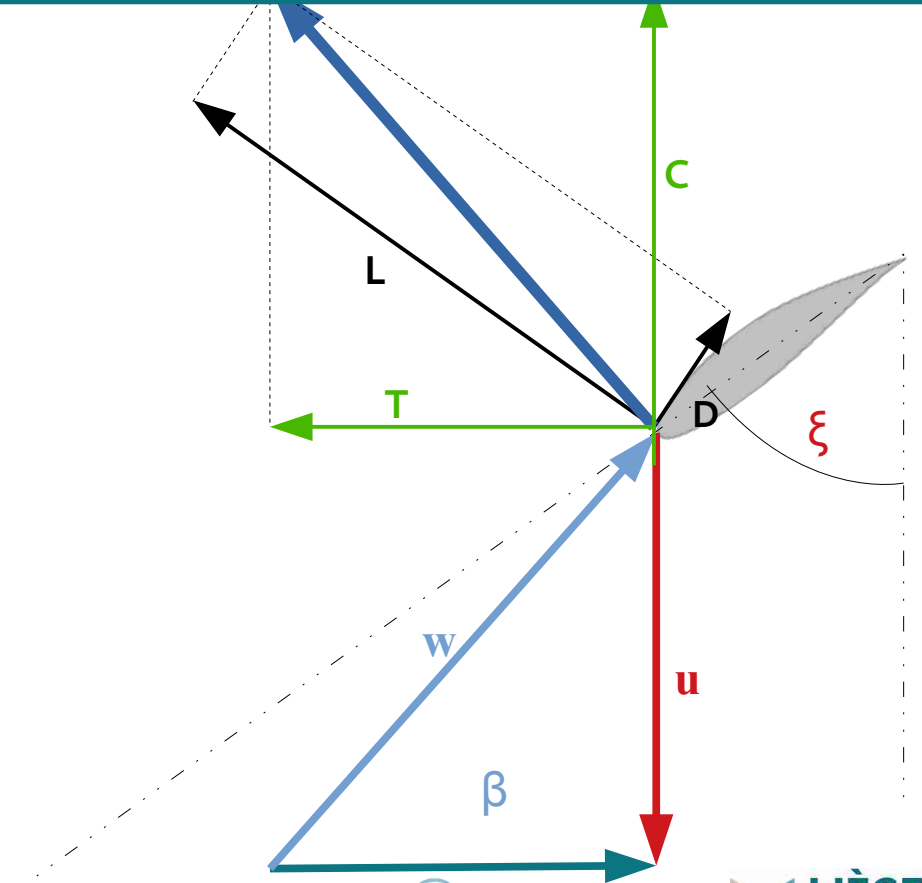


FIGURE 9.—Efficiency curves for propeller 868-6, Clark Y section, 2 blades.



# 3. Propellers

Operation: pitch control

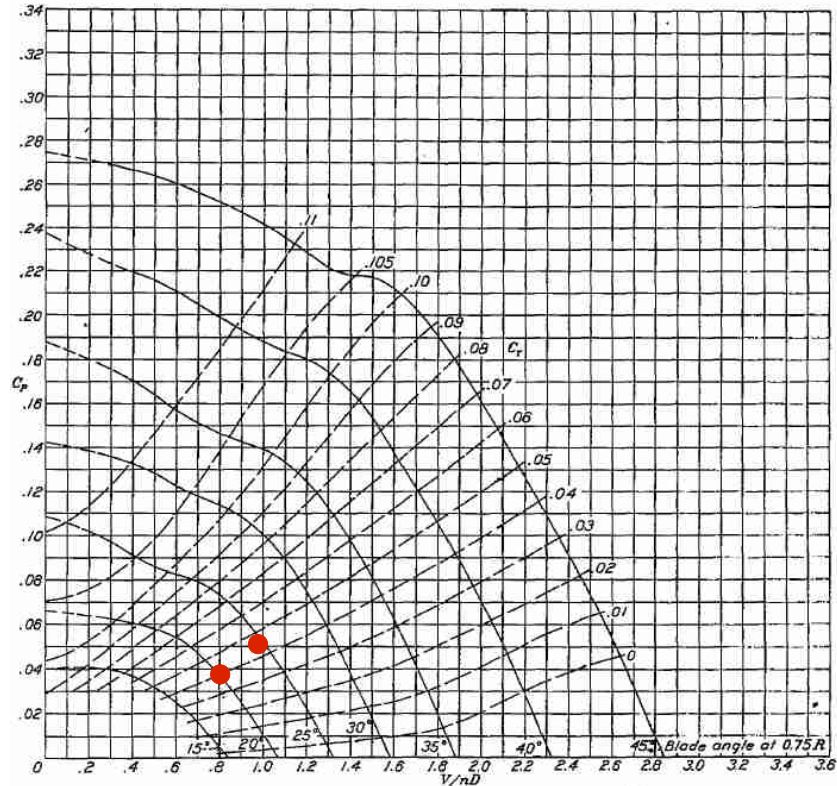
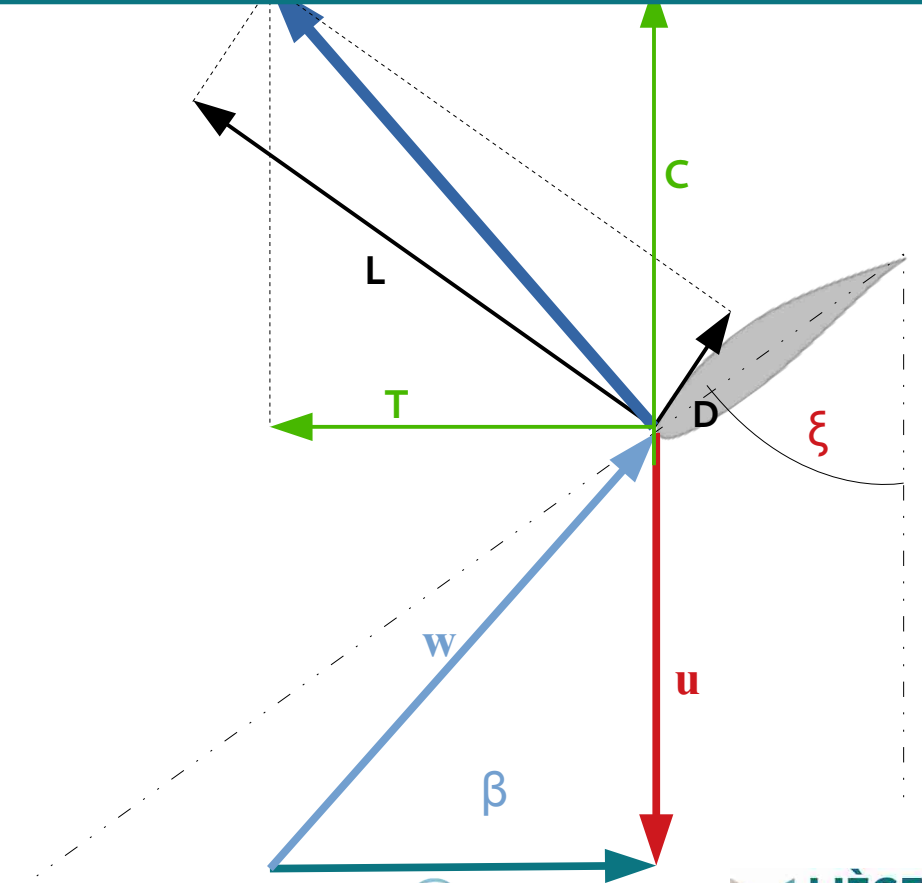


FIGURE 6.—Power-coefficient curves for propeller 6808-9, Clark Y section, 3 blades.



# 3. Propellers

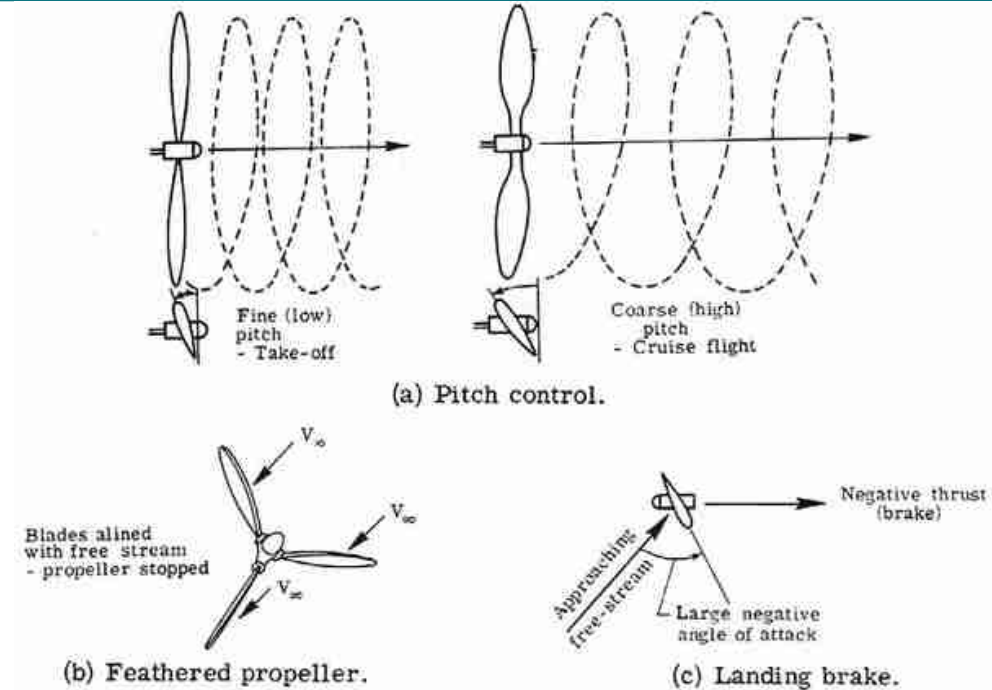
## Control

- **Means of control**

- Engine power / rotation speed :  $T \sim n^2$ ,  $P \sim n^3$
- Advance speed vs rotation speed : "gear box"
  - Fine pitch ~ low gear :
    - high thrust at low advance speed : take-off, taxi, ...
    - limited flight speed
  - Coarse pitch ~ high gear :
    - low thrust at take-off
    - higher air speeds

- **Propeller types**

- Fixed pitch / ground adjustable ~ single gear
- Variable pitch propellers
  - Inflight adjustable: change throttle and pitch angle independently ~ manual gear box
  - Fixed velocity: governor adjusts pitch to keep constant rotation speed ~ automatic gearbox



# 3. Propellers

## Power generators

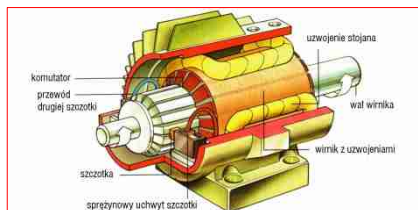
- Internal combustion engine



- Gas turbine: turboprop & unducted fan

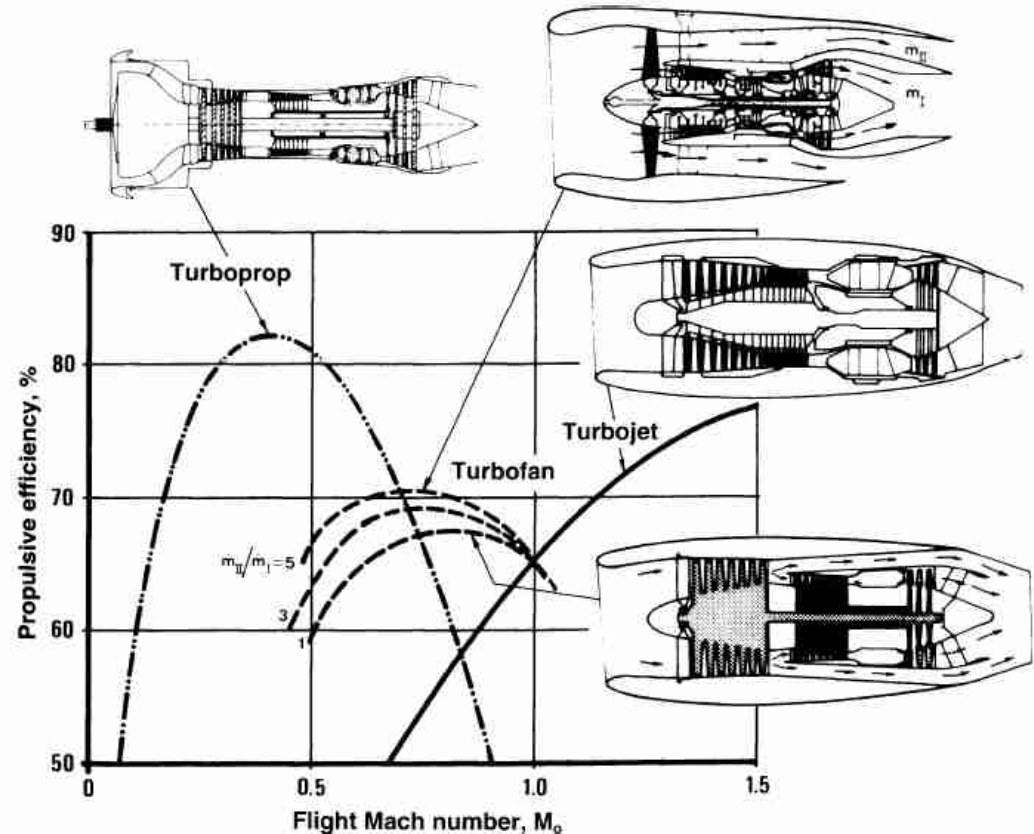


- Future of propulsion systems : electric or hybrid, distributed ...



# 4. Choosing the propulsion system

- **Typical : cruise speed**
  - Propeller :  $0.1 < Ma < 0.7$
  - High BPR turbofan :  $0.7 < Ma < 1$
  - Low BPR turbofan / turbojet :  $Ma > 1$
  - RAMJET :  $Ma > 2$
  - SCRAMJET :  $Ma > 5$
- **Extension of operating range of propellers to transonic**
  - (Variable pitch turbofans)
  - Transonic open rotors (CROR)
  - Ducted fan for hybrid propulsion





# 4. Choosing the propulsion system

*Future: integrated / hybrid / distributed propulsion systems ?*

